S4 Table. Summary of variables describing sub-population sizes in infectious (sub-)states in Germany (GER) and the USA.

Name	Description	Initial	value
$P_{L}^{(\mathrm{Ge})}$	No. infected Ge in kth prodromal state $(1 \le k \le n_P)$		0
$P_{l_a}^{\kappa(\mathrm{St},-)}$	No. infected undetected St in kth prodromal state $(1 \le k \le n_P)$		0
$P_{k}^{(\mathrm{St},*)}$	No. St in kth prodromal state, whose test results will be pos. $(1 \le k \le n_P)$		0
$P_{k}^{(\mathrm{St},+)}$	No. pos. tested St in kth prodromal state $(1 \le k \le n_P)$		0
$P_k^{(\mathrm{Ri})}$	No. Ri in kth prodromal state $(1 \le k \le n_P)$		0
$P_{\mathrm{Sum}}^{\mathrm{(Ge)}}$	Total No. of Ge in prodromal states		0
$P_{\text{Sum}}^{(\text{St},-)}$	Total No. undetected infected St in prodromal states		0
$P_{\mathrm{Sum}}^{(\mathrm{St},*)}$	Total No. of St in prodromal states, whose test results will be pos.		0
$P_{\mathrm{Sum}}^{(\mathrm{St},+)}$	Total No. of pos. tested St in prodromal states		0
$P_{k}^{(\mathrm{Ge})} \\ P_{k}^{(\mathrm{St},-)} \\ P_{k}^{(\mathrm{St},*)} \\ P_{k}^{(\mathrm{St},*)} \\ P_{k}^{(\mathrm{Ri})} \\ P_{\mathrm{Sum}}^{(\mathrm{Ge})} \\ P_{\mathrm{Sum}}^{(\mathrm{St},-)} \\ P_{\mathrm{Sum}}^{(\mathrm{St},+)} \\ P_{\mathrm{Sum}}^{(\mathrm{St},+)} \\ P_{\mathrm{Sum}}^{(\mathrm{Ri})} \\ P_{\mathrm{Sum}}$	Total No. of Ri in prodromal states		0
		GER	USA
$I_1^{ m (Ge)}$	No. infected Ge in 1st fully infectious state	200	75
$I_{\iota}^{(\mathrm{Ge})}$	No. infected Ge in kth fully infectious state $(2 \le k \le n_I)$	0	0
$I_1^{ m (Ge)} \ I_k^{ m (Ge)} \ I_{ m Sum}^{ m (Ge)}$	Total No. of Ge in fully infectious states	200	75
$I_{k}^{(\mathrm{St},-)}\\I_{k}^{(\mathrm{St},+)}\\I_{k}^{(\mathrm{St},+)}\\I_{k}^{(\mathrm{Ri})}\\I_{k}^{(\mathrm{St},-)}\\I_{\mathrm{Sum}}^{(\mathrm{St},+)}\\I_{\mathrm{Sum}}^{(\mathrm{St},+)}\\I_{\mathrm{Sum}}^{(\mathrm{Ri})}\\I_{\mathrm{Sum}}^{(\mathrm{Ri})}$	No. infected undetected St in kth fully infectious state $(1 \le k \le n_I)$		0
$I_{k}$ $I(St,+)$	No. St in kth fully infectious state, whose test results will be pos. $(1 \le k \le n_I)$		0
$I_{\hat{k}}$ $\tau^{(\mathrm{Ri})}$	No. pos. tested St in kth fully infectious state $(1 \le k \le n_I)$		0
$I_{k}$ $\tau(\operatorname{St},-)$	No. Ri in kth fully infectious state $(1 \le k \le n_I)$		0
$I_{\text{Sum}}$ $\tau(\text{St},*)$	Total No. undetected infected St in fully infectious states		0
$I_{\text{Sum}}$	Total No. of St in fully infectious states, whose test results will be pos.		0
$I_{\text{Sum}}$	Total No. of pos. tested St in fully infectious states		0
	Total No. of Ri in fully infectious states		
$L_k^{(\mathrm{Ge})}$	No. infected Ge in kth late infectious state $(1 \le k \le n_L)$		0
$L_k^{(\mathrm{St},-)}$	No. infected undetected St in kth late infectious state $(1 \le k \le n_L)$		0
$L_k^{(\mathrm{St},*)}$	No. St in kth late infected state, whose test results will be pos. $(1 \le k \le n_L)$		0
$L_k^{(\mathrm{St},+)}$	No. pos. tested St in kth late infectious state $(1 \le k \le n_L)$		0
$L_k^{(Ri)}$	No. Ri in kth late infectious state $(1 \le k \le n_L)$		0
$L_{\mathrm{Sum}}^{\mathrm{(Ge)}}$	Total No. of Ge in late infectious states		0
$L_{\mathrm{Sum}}^{(\mathrm{St},-)}$	Total No. infected undetected individuals in late infectious state in St		0
$L_{\mathrm{Sum}}^{(\mathrm{St},*)}$	Total No. of St in late infected states, whose test results will be pos.		0
$L_{\mathrm{Sum}}^{(\mathrm{St},+)}$	Total No. of pos. tested St in late infectious states		0
$L_{k}^{(\mathrm{Ge})} \\ L_{k}^{(\mathrm{St},-)} \\ L_{k}^{(\mathrm{St},*)} \\ L_{k}^{(\mathrm{St},*)} \\ L_{k}^{(\mathrm{Ge})} \\ L_{\mathrm{Sum}}^{(\mathrm{Ge},-)} \\ L_{\mathrm{Sum}}^{(\mathrm{St},+)} \\ L_{\mathrm{Sum}^{(\mathrm{St},+)}} \\ L_{\mathrm{Sum}^{(\mathrm{St},+)}} \\ L_{\mathrm{Sum}^{(\mathrm{St},+)}} \\ L_{\mathrm{Sum}^{(\mathrm{St},+)}} $	Total No. of Ri in late infectious states		0
	iables and their initial values shown for the simulations		

Description of variables and their initial values chosen for the simulations.