Human Adaptive Behavior in Common Pool Resource Systems

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Abstract
Overexploitation of common-pool resources, resulting from uncooperative harvest behavior, is a major problem in many social-ecological systems. Feedbacks between user behavior and resource productivity induce non-linear dynamics in the harvest and the resource stock that complicate the understanding and the prediction of the co-evolutionary system. With an adaptive model constrained by data from a behavioral economic experiment, we show that users’ expectations of future pay-offs vary as a result of the previous harvest experience, the time-horizon, and the ability to communicate. In our model, harvest behavior is a trait that adjusts to continuously changing potential returns according to a trade-off between the users’ current harvest and the discounted future productivity of the resource. Given a maximum discount factor, which quantifies the users’ perception of future pay-offs, the temporal dynamics of harvest behavior and ecological resource can be predicted. Our results reveal a non-linear relation between the previous harvest and current discount rates, which is most sensitive around a reference harvest level. While higher than expected returns resulting from cooperative harvesting in the past increase the importance of future resource productivity and foster sustainability, harvests below the reference level lead to a downward spiral of increasing overexploitation and disappointing returns.

Introduction
Many social-ecological systems (SESs) that comprise a common pool resource (CPR) face the problem of overexploitation, because it is very costly, albeit not impossible, to exclude users from subtracting resource units [1–6]. Resource appropriation in such SESs often produces benefits for the individual, while all share the costs. This gives users an obvious incentive to maximize their harvest, thus, preventing cooperation and sustainability [7]. There is, however, compelling evidence both from economic experiments [8–11] and from real systems [12–15] that under certain conditions users may overcome the egoistic temptation of maximizing individual profits.

The decision to forgo part of a possible harvest from a renewable CPR is, particularly at low resource levels, an investment into future productivity at the cost of reduced short-term returns [16]. Because such an investment into the future always comes with uncertainties and because of the human preference for proximate returns, users discount potential future pay-offs [11,17,18]. According to the standard discounted utility model, rational users integrate all current and expected future returns after discounting them at a constant rate [17]. If discounted future benefits are large enough, users are willing to forego current benefits and cooperate [8,10,19].

Users of CPRs face highly uncertain decisions for two reasons. First, many ecological systems are characterized by high intrinsic variability, which complicates predictability [20]. Second, harvesting itself affects the stock and eventually the productivity of the resource. By this means, the harvest behavior may also influence the weight users assign to future resource productivity giving rise to a trade-off between the harvest behavior and the expected future returns [21]. The key to sustainability in many real SES is therefore to enhance the certainty of receiving the future benefits of cooperation, a goal achieved best by creating an institutional environment that is capable of accounting for the specific characteristics of the system under consideration [21–23]. Change, whether social or ecological, may, however, overstrain also robust institutions, when it is too rapid for successful adaptation [24].

Studies of real resource-user systems often disregard these close links between harvest behavior, resource dynamics, and future uncertainty and focus on either ecological or social aspects. The two sub-systems are described on different levels of detail, which hinders an integrated understanding of their coupled dynamics [25,26]. Moreover, observational or experimental data from CPR systems usually cover only a short period of time or comprise many confounding factors and hence do not allow observing and understanding temporal changes. The quantitative relationship and the feedbacks between resource productivity and user behavior remain largely unknown. Consequently, regime shifts or collapses observed in overexploited ecological resources are still not fully understood [27,28].

A novel approach for understanding the combined dynamics of a CPR and the users is to reduce the number of confounding
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Trade-off between Harvest Behavior and Future Expectations

The expected future pay-offs of the CPR users were not measured directly during the experiments of Janssen et al. [9]. We instead use the relative resource productivity $P$ as a qualitative indication of the group’s expectations to constrain our model. $P$ is defined as the cumulated resource productivity from the current time to the end of the experiment normalized to the resource level at the beginning of each round. In other words, $P$ expresses the future productivity as a fraction of the initial resource level. Correspondingly, the inverse of the half-saturation constant $K_{s}$, calculated from the experimental time-series of the harvest rate, is proportional to the resource affinity and used here equivalently. A high affinity value (or a low $K_{s}$) indicates aggressive harvesting already at low resource levels, while at low resource affinities users reach near maximum harvest rates only at high resource levels.

We discover a strong trade-off between $P$ and $K_{s}$ and a high variability of these two variables in the experimental data (Figure 1C). More specifically, in the experiment, relative resource productivities significantly exceeding 1.0 only occur at low resource affinities ($K_{s}^{-1} < 0.005N^{-1}$). In contrast, high resource affinities ($K_{s}^{-1} > 0.005N^{-1}$) lead to large current harvests, while limiting the production of new resource units to values of $P < 0.5$. Similar to known relationships in real SESSs (cf. Figure 2 in [26]), this trade-off is highly non-linear and introduces a tipping point to the system that clearly separates the effects of sustainable use from overexploitation. Users, thus, face the decision of increasing either short-term benefits or the long-term resource productivity [33].
We calibrated our model to match the distribution of the experimental data and adjusted only the parameter $w$ between rounds (Figure 1A and B). The model trajectories reveal the continuous change of user behavior over the course of the different rounds (Figure 1C). Starting from low affinities all model simulations end with $P \approx 0$ and $K_s \approx 0$, which represents the highest possible harvest rate and the complete exhaustion of the resource at the end of all rounds. While all rounds end similarly, they differ in the trajectories that lead to the exhaustion of the resource. When communication is possible (NCP-C 4–6, C-NCP 1–3), maximum $P$ values are considerably higher than in NCP-rounds with no prior experience of communication (NCP-C 1–3). In contrast, users increase the resource affinity in NCP-C 1–3 right from the start (cf. Figure 1A and C) and by doing so avert high resource productivities.

**Effect of Different $w$ on the Temporal Dynamics of the User-CPR System**

The different values of the maximum discount factor $w$ can be attributed to the changes in the social environment of the users, because the simulated rounds differ only by the available treatments and the history of previous round, whereas the resource characteristics and the composition of the groups of users were identical.

If the future is irrelevant to users and future returns are disregarded ($w^\ast = 0$, Figure 2A and D), cooperation levels deteriorate within the first 30s of the simulation. In this case, the
current harvest rate significantly exceeds the growth rate of the CPR and the unsustainable use leads to a collapse within the first 100s and to a poor total harvest \(H_{\text{tot}} < 300N\), Figure 3A). Increasing the importance of the future, that is increasing \(w^*\), results in higher cooperation over longer periods of time and slows down (Figure 2B and E) or even reverses overexploitation (Figure 2C and F). Towards the end of all simulations, however, \(w\) declines with the remaining time of the experiment causing an erosion of cooperation that eventually triggers the collapse of the resource (Figure 2A–C), because there is no potential future productivity to account for in a finite game.

Users continuously adjust their harvest strategy according to changing present harvest opportunities and expected future payoffs. Therefore, cooperation and sustainable harvesting become rational when the discounted total harvest for one strategy is higher than for other strategies [34]. By treating resource users as rational when the discounted total harvest for one strategy is higher than for other strategies (Figure 2C and F). Resource collapse occurs later and the extended period of sustainable resource use leads to significantly higher total harvests (cf. Figures. S3a and S1). Red lines in panels a–c indicate the temporal evolution of the discount factor \(w\).

**Figure 2. Time evolution of cooperation, harvest rates and a renewable resource for three different levels of future certainty.** Increasing the maximum discount factor \(w^*\) (Equation 8) lowers the current harvest \(r_t, C\) (Equation 3, lower panels d–f, green shaded area), but raises the future resource productivity \(w^*\) that is considered by the users (Equation 7, blue shaded area). Cooperation \(\mathcal{Q}\) decreases sharply when future payoffs are ignored (a, \(n^* = 0.0\)) causing an immediate resource collapse (d, black solid line (model) and gray dots (experimental data from [9])). Larger values of \(w^*\) (b, \(w^* = 16.5\) and c, \(w^* = 32.5\)) result in higher cooperation and reduce the current harvest as resource users account for a much higher proportion of future productivity (e and f). Resource collapse occurs later and the extended period of sustainable resource use leads to significantly higher total harvests (cf. Figures. S3a and S1).

Relation between the Maximum Discount Factor and the Total Harvest

The harvest behavior of CPR users and hence the outcome of the artificial commons vary greatly between rounds (cf. Figure S1 and S2 for the results of all rounds). A quantitative measure that may explain those differences of the total harvest \(H_{\text{tot}}\) is the maximum discount factor \(w^*\). The total harvest indicates the success of the group’s behavior and is positively related to \(w^*\) (Figure 3A), because in the model the productivity increases with \(R\) for the range of resource levels observed in the experiment \((R < 0.5K = 420.5N)\). In other words, a high \(w^*\) leads to harvest rates below productivity, i.e. sustainability, at the beginning of a round and eventually to high total harvests. Given the constraints of the experiment, the highest \(H_{\text{tot}}\) of 520N is therefore realized at the highest value of \(w^* = 41.8\) (Figure 3A).

By only adjusting \(w^*\) to match the experimental results, we assume that differences between rounds are mainly caused by variations in the users’ perception of future certainty. Allowing for variations also in the parameters \(\alpha\) and \(\beta\) reduces the error between model and experimental data indicating that users also adjust the temporal dynamics of the harvest from round to round (Figure S4 and Table S1). However, the results of a systematic sensitivity analysis (Figure S5) confirm the high sensitivity of the model results to changes in \(w^*\) and corroborate the choice of \(w^*\) as the only free parameter explaining the observed differences between the rounds of the experiment.

**Effect of Different Treatments on the Maximum Discount Factor**

Our analysis reveals that the variations between rounds in the perception of future certainty, represented by \(w^*\) in the model, are determined by a combination of factors, including 1) treatment in the current round, 2) prior experience from rounds with the same treatment, and 3) possible exposure to a different treatment in the past.
Sustainable harvest strategies, characterized by high $H_{tot}$ exceeding 400N, are associated with rounds in which either communication is possible or users had experienced communication in previous rounds (Figure 3A). On the contrary, in the absence of communication or with prior experience of punishment, users harvest unsustainably throughout the simulation and, thus, realize poor harvests (below 300N). Rounds in which the positive and negative effects of previous communication and punishment are balanced represent a transition between clearly separated strategies of successful and unsuccessful harvests (black dots in Figure 3A).

The impact of previous experience of punishment on the maximum discount factor and therefore on the total harvest becomes clear when comparing the outcomes of NCP rounds that were preceded by differing treatments. While in rounds 4 and 5 of the C-NCP treatment users manage to sustain a $w^* > 15$, the maximum discount factor drops considerably to values around 10 in corresponding rounds of the CP-NCP treatment (Figure 3A). In the model, this indirect effect of the harvest behavior is much stronger than any direct effect of punishment. As a tool to enhance the confidence of users into the future, punishment has, different from communication, no or even negative effects beyond the period of its availability [41]. Punishment alters the expectations of future returns, but communication is clearly more effective in raising the users’ maximum discount factor and eventually in establishing cooperation [9,42,43]. In studies of real social-ecological systems, leadership significantly influences the successful management of the commons [12,13,44]. Supported by Janssen et al.’s observations [9], we argue that communication enables negotiation and promotes leadership in the artificial environment of this simple, computer-based CPR system.

**Figure 3. Outcomes of the common pool resource system.** The total harvest $H_{tot}$ is closely related to the certainty of the future, here expressed as the maximum discount factor $w^*$ (Equation 8, colored dots). Only data from rounds that were preceded by a round with identical treatment (rounds 2, 3, 5, and 6) were included. A, Communication with or without punishment (CP and C, green dots) is essential to establish high $w^*$ and to increase the $H_{tot}$. Punishment (P), even if experienced only in previous rounds, or the lack of communication and punishment (NCP), keep $H_{tot}$ below the reference point (red dots). Blue and black dots indicate NCP rounds in which either communication or communication and punishment were available in previous rounds. The lines connecting two dots show the change of $w^*$ between a current and a preceding round (gray dots) with the same treatment (at the current round’s $H_{tot}$). The intersection of the regression lines of previous (gray line) and current (black line) discount factors reveals that the value of $w^*$ increases from round to round if the group manages to establish a $w^* > 8.5$ (corresponding to $H_{tot} = 323$) in the preceding round, or decreases if $w^* < 8.5$. This intersection marks the sustainability threshold between positive and negative feedbacks in the system and sets the reference point for the users’ expectations. B, $H_{tot}$ in a preceding round determines the discount rate $r$, derived from the relation $r = (w^* + 1)^{-1}$. The solid, sigmoidal line indicates a least-squares fit to a logistic equation (root mean square error RMSE = 0.155s$^{-1}$).

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**Changes of the Maximum Discount Factor within One Treatment**

A feedback between $w^*$ and $H_{tot}$ links the outcome of previous rounds with the same treatment to the current harvest strategy. Our results suggest that the group’s total harvest will increase further in the following round with identical treatment if $H_{tot}$ is above a certain threshold ($323 > N$, equivalent to $w^* > 8.5$). Values below this reference lead to a further deterioration of the maximum discount factor and diminish the group’s total harvest in most rounds.

The reference value hence marks a sustainability threshold for the system. This feedback between rounds is similar to the mechanism proposed by Fehr & Gächter [45], who explained the decay of cooperation in a public goods game as a feedback loop of disappointed expectations that leads to lower and lower endowments of the players of the experiment.

The discount rates $r$, which were derived from $w^*$ assuming exponential discounting [17], are related to the $H_{tot}$ of the previous round by a sigmoid function (Figure 3B). We suggest that the threshold determined in Figure 3A and the discount rate correspond respectively to the reference point of the value function and to the psychological value of an outcome in prospect theory [46]. Prospect theory, which is based on gains and losses rather than on absolute outcomes, explains the discrepancies between economic rationality and observed human behavior. According to prospect theory the perceived value of an outcome does not depend linearly on its economic value. Instead, it is an asymmetric, sigmoidal function of gains and losses with respect to a reference point, the value function, which can be influenced by expectations or the current status. Furthermore, the weight humans associate to an uncertain outcome is related, but not equal, to the corresponding probability, because the human ability to objec-
Conclusions

We have shown that it is possible to understand main features of a CPR and the harvest dynamics of a simplified SES by reducing the social environment to its impact on the perceived future certainty of the users. Our approach extends classic models of maximum sustainable [48,49] or maximum economic [34] yield by introducing a behavioral trait that accounts for the mutual dependency of current behavior and future expectations. The social environment including the first-tier variables “users” and “governance system” of Ostrom’s framework for the analysis of SESs [23] is obviously more complex than assumed here and exhibits a dynamics of its own (indicated in Figure 3A and 3B). Despite this well-recognized complexity, the harvest behavior of CPR users can be analyzed, understood, and even roughly predicted with a simple model. Our model is able to describe the co-evolution of the renewable CPR and the adaptive harvest behavior of the users following a mechanistic trade-off, a disregarded feature in classic harvest models [16]. Furthermore, by showing the influence of user experience on the perception of future certainty, we presented an approach to understand the observed variability of user behavior in apparently similar or identical situations.

We conclude that unsustainable harvest leads to reduced discounted future pay-offs and low cooperation in two ways, first, as a consequence of reduced resource productivity and, second, as a consequence of a deteriorating discount factor. Once the temporal gradient of both terms has turned negative, it is difficult for users to escape from the downward vortex of decreasing expectations and diminishing pay-offs. This feedback works also in the opposite direction towards sustainable harvest strategies, high pay-offs, and sustained cooperation among resource users. Our findings illustrate the behavioral variability of users that act rationally according to their current opportunities and their perception of future returns. By this means, our approach opens up a perspective for predicting dynamics and identifying tipping points of coupled user-resource systems.

Methods

Our adaptive model consists of three ordinary differential equations and describes the combined dynamics of the resource $R$, the harvest $H$, and the harvest trait $x$ for a constant number of users $C$.

The Renewable Resource

$R$ is changing over time $t$ according to the difference between new production and harvest

$$\frac{dR}{dt} = r_x R - r_h C,$$  \hspace{1cm} (1)

where $r_x$ is the productivity of $R$

$$r_h = \mu_C \left( \frac{1 - R}{K} \right),$$  \hspace{1cm} (2)

with $\mu_C$ and $K$ indicating the maximum specific growth rate and the carrying capacity of the resource system, respectively. Resource growth is hence logistic with highest growth rates at $R = 0.5K$ and declining rates towards $R = 0$ as well as towards $R = K$ [16].

Adaptive Harvesting

The current harvest rate $r_h$ is based upon Monod kinetics

$$r_h = \frac{\mu_C}{R + K_S},$$  \hspace{1cm} (3)

with $\mu_C$ representing the maximum specific harvest rate and $K_S$ the half-saturation constant. The harvest rate $r_h$ is, thus, insensitive to changes in $R$ for $R >> K_S$, but sensitive for $R < K_S$. In our model, $K_S$ is variable and responds to changes in the harvest trait $x$.

$$K_S = K_S^* + x^2 K_S^*$$  \hspace{1cm} (4)

where $K_S^*$ and $K_S^*$ denote the minimum and the variable part of $K_S$, respectively. Using an adaptive modeling approach [29–32], the temporal change of $x$ is proportional to the fitness gradient $F$

$$\frac{dx}{dt} = \kappa F,$$  \hspace{1cm} (5)

with $F = r_x + r_p + r_c$ and $\kappa$ denoting the rate constant of the adaptive process [29]. $\kappa$ hence parameterizes the speed of the adaption process, i.e. the speed of learning, of the group of users over the course of a round. While the punishment rate

$$r_p = \gamma e^{\frac{(x-x)^2}{2\sigma_p^2}} RK^{-1},$$  \hspace{1cm} (6)

is only available in some rounds, the discounted future productivity

$$r_f = w r_h RC^{-1},$$  \hspace{1cm} (7)

which stands for the future resource productivity expected by the users, is considered in all rounds. In Equation 6 $\gamma$ is the specific punishment rate, $x$ is the trait value of the punishment maximum, and $\sigma_p$ is the punishment standard deviation. Consistent with the experimental results [9], $x$ is set to intermediate values in the model so that punishment is applied mostly at intermediate levels of $x$. At high $x$ users forgo a large fraction of their potential harvest, they cooperate, and punishment is therefore not necessary. By contrast, at low levels of $x$, which indicate egoistic harvest strategies and low importance of future pay-offs, users are not inclined to invest in a costly and uncertain measure that may support long-term sustainability. The discount factor $w$ is a variable function of $t$ and $x$. 

We, thus, argue that users adjust the discount rates according to the psychological value of the total harvest realized in the previous round with identical treatment. Users are highly sensitive to losses, which are caused in this system by the lack of communication or by punishment. Losses with respect to the reference value in the previous round lead to a severely impaired perception of future certainty. In contrast, small gains can be sufficient for users to adopt lower discount rates in following rounds (Figure 3B). Note, however, that we excluded the first rounds with a new treatment from our analysis, because a drastic change of the institutional environment does clearly affect future expectations and obfuscates the relationship between harvest experience and discounting as shown in Figures 3A and B.

tively estimate probabilities, in particular those of rare events, is limited [46,47].
### Table 1. Parameter values and variables (with initial conditions given in parenthesis).

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Name</th>
<th>Value</th>
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<tr>
<td>$a$</td>
<td>Shape parameter</td>
<td>0.055</td>
<td>$[s^{-1}]$</td>
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<tr>
<td>$\beta$</td>
<td>Shape parameter</td>
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<td>$c$</td>
<td>Users</td>
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<td>$\gamma$</td>
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<td>$H$</td>
<td>Harvest</td>
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<td>$H_{tot}$</td>
<td>Total harvest</td>
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<tr>
<td>$r_{C}$</td>
<td>Max. specific harvest rate</td>
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<td>$[s^{-1}]$</td>
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<tr>
<td>$m_{R}$</td>
<td>Max. specific resource</td>
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<td>$\kappa$ Variance of</td>
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<tr>
<td>$\phi$</td>
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<td>$r_f$</td>
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<td>$r_h$</td>
<td>Current harvest rate</td>
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<td>$r_p$</td>
<td>Punishment rate</td>
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<td>$\nu$</td>
<td>Mean harvest trait</td>
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\[ w = w^* (1 - e^{-\nu}) \left( 1 - \frac{1}{1 + e^{a(t - \gamma)}} \right), \] (8)

with $w^*$, the maximum discount factor, representing the only free parameter between rounds, and $a$ and $\beta$, two shape parameters, determining the decay of $w$ as the time in a round elapses. While the time dependence of $w$ is similar to the discounted utility model [17], the parameters $a$ and $\beta$ allow for a modification of the timing and the speed of decay of $w$ with time. $w$ acts here as a weight on future productivities and is connected to the harvest behavior of the users via the harvest trait $x$. We assume here that users estimate the future productivity of the resource at the current resource level. Hence, the trade-off between $r_h$ and $r_f$, emerges, because an increase of $x$ raises the current harvest $r_h$, but erodes $r_f$ by reducing $w$. The functional dependence of $r_f$ and $r_h$ on $x$ is determined by the highly non-linear shape of the trade-off in the data (cf. Figure 1C) and constrained by the requirement that $r_f$ and $r_h$ may not be negative for any $x$. Integrating the harvest over time while accounting for possible costs for punishment gives the temporal evolution of the harvest $H$.

\[ \frac{dH}{dt} = (r_h - r_p)C. \] (9)

The total harvest realized over the 240 rounds of an experimental round is then $H_{tot} = H(t = 240)$.

### Cooperation

Cooperation is a diagnostic variable in our model. It is defined by the non-realized current harvest normalized to the maximum possible harvest $r_h(x = 0)$

\[ \phi = 1 - \frac{r_h(x)}{r_h(x = 0)}. \] (10)

In other words, not harvesting anything results in $\phi = 1$, whereas maximizing the current harvest rate by adopting $x = 0$ leads to $\phi = 0$. Note that considering users as an adaptive entity implies that the properties $x$ and also $\phi$ are mean properties of the group. Unlike in similar evolutionary dynamics models, the dynamics of the trait distribution is not determined by the reproductive fitness of individuals bearing a certain trait, because we assume that the change of a behavioral trait does not require sexual reproduction [50]. In our model, the fixed group of resource users is able to quickly adapt the harvest strategy according to the state of the resource and the maximum discount factor, an assumption that is corroborated by the observed variability of harvest rates in the laboratory experiments [9]. Consistent with the published results of the experimental study, the model is not spatially explicit, because the dynamics of the spatial averages of the resource and the group’s harvest in the homogeneous system can be adequately described by zero-dimensional approach.

### Simulations

The parameter-set of the model was manually calibrated to fit the temporal evolution of the resource and the total harvest observed in the 36 rounds of the laboratory experiment (cf. Table 1 and Figure S2). The data [9] are averages of five or six replicates for each round. All simulations were conducted with identical initial conditions and parameter values except for the maximum discount factor $w^*$. Changes of $w^*$ account for all variability in the model results we show in the main text. The different treatments and the learning of the users are, thus, reduced to their impact on the expectations of future pay-off, which is represented by the maximum discount factor $w^*$ in the model. Additional results with three variable parameters are presented in the Supporting Information (Figures S4 and S5, Text S1, and Table S1).

### Supporting Information

**Figure S1** Total harvest for different treatments. Comparison of total harvest $H_{tot}$ for combinations of different treatments, namely communication (C), costly punishment (P), communication and costly punishment (CP), neither communication nor punishment (NCP). Respectively, bars and dots with error bars denote mean values and standard deviations of experimental results obtained from the laboratory study of Janssen et al. [9]. (TIF)

**Figure S2** Temporal dynamics of the resource. Timeseries of resource levels for six experiments consisting of six rounds.
each. Treatments are communication (C), costly punishment (P), communication and costly punishment (CP), neither communication nor punishment (NCP), and change after three rounds. Solid lines indicate model results and dotted lines indicate the experimental results [9]. Only the maximum discount factor \( w^* \) varied between rounds to fit the experimental results, all other parameter values are reported in Table 1.

**Figure S3** Model-data comparison. Comparison of all experimental data from [9] shown in Figure S2 with corresponding model data. A linear regression yields \( r^2 = 0.972 \).

**Figure S4** Temporal dynamics of the resource. Timeseries of resource levels for six experiments consisting of six rounds each. Treatments are communication (C), costly punishment (P), communication and costly punishment (CP), neither communication nor punishment (NCP) and change after three rounds. Solid lines indicate model results and dotted lines indicate the experimental results obtained from the laboratory study of Janssen et al. [9]. Only the parameters \( w^*, \alpha, \) and \( \beta \) vary between rounds to fit the experimental results, all other parameter values are reported in Table 1.

**Figure S5** Sensitivity analysis. Sensitivity of the root mean square (RMS) error between simulated and experimental data to changes in the three parameters \( w^* (A), \alpha (B), \) and \( \beta (C) \), all other parameter values are reported in Table 1. The ranges of variation were \( w^* = [0 - 70], \alpha = [0.00 - 0.04 s^{-1}], \) and \( \beta = [10 - 208] \). Each of the 36 experimental resource time-series was compared to the results of 112000 model runs with unique combinations of the three variable parameters to find the optimal parameter values (cf. Figure S4 for the best results). The panels A-C show how the RMS error increases from the optimum when only one of the three parameters is varied while the other two are held constant at their optimum value.

**Table S1** Root mean square error (RMSE) between experimental and simulated data for models with one \( (w^*) \) and three free parameters \( (w^*, \alpha, \) and \( \beta) \).

**Text S1** Additional model results.

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**Author Contributions**

Conceived and designed the experiments: GB AM. Performed the experiments: GB. Analyzed the data: GB AM. Contributed reagents/materials/analysis tools: GB. Wrote the paper: GB AM BV AS.

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