

S4 Text. Effects of different functional forms of the exposure and prevalence on the rate of spillovers.

Table S1. Effects of different functional forms of the exposure $\eta(N_R)$ and prevalence $Pr_R(N_R)$ on the mean and variance μ_λ and σ_λ^2 of the rate of spillovers. C and D are constants.

	$\eta(N_R), Pr_R(N_R), \lambda$	$\mu_\lambda, \sigma_\lambda$	Notes
Scenario 1	$\eta(N_R) \propto N_R$	$\mu_\lambda = C\mu_{N_H}\mu_{N_R}\mu_{\chi_R}$	Exposure proportional to host abundance. Infection prevalence does not depend on host abundance. <i>E.g.</i> a scenario described by a frequency dependent SIR model with fixed population at endemic equilibrium [1].
	$Pr(N_R)$ not dependent on N_R	$\sigma_\lambda^2 \approx (CN_R\chi_R)^2 \sigma_{N_H}^2 +$ $(CN_H\chi_R)^2 \sigma_{N_R}^2 + (CN_HN_R)^2 \sigma_{\chi_R}^2$	
	$\lambda = CN_HN_R\chi_R$		
Scenario 2	$\eta(N_R) = \eta_\infty$	$\mu_\lambda = C\mu_{N_H}\eta_\infty\mu_{\chi_R}$	Exposure does not depend on host abundance. Infection prevalence does not depend on host abundance. <i>E.g.</i> a scenario where the probability of contacts saturates for a large $N_{R\infty}$ asymptotically approaching the value η_∞ .
	$Pr(N_R)$ not dependent on N_R	$\sigma_\lambda^2 \approx$ $(C\eta_\infty\chi_R)^2 \sigma_{N_H}^2 + (CN_H\eta_\infty)^2 \sigma_{\chi_R}^2$	
	$\lambda = CN_H\eta_\infty\chi_R$		
Scenario 3	$\eta(N_R) \propto N_R$	$\mu_\lambda = C\mu_{N_H}\mu_{\chi_R} [1 - D\mu_{N_R}]$	Exposure proportional to host abundance as in scenario 1. Infection prevalence also depends on host abundance. This form of prevalence arises, <i>e.g.</i> , from a density dependent SI model with fixed birth rate at endemic equilibrium.
	$Pr(N_R) = 1 - \frac{D}{N_R}$	$\sigma_\lambda^2 \approx [C(N_R - D)\chi_R]^2 \sigma_{N_H}^2 +$ $[CN_H\chi_R]^2 \sigma_{N_R}^2 + [CN_H(N_R - D)]^2 \sigma_{\chi_R}^2$	
	$\lambda = CN_H(N_R - D)\chi_R$		
Scenario 4	$\eta(N_R) = \eta_\infty$	$\mu_\lambda = \eta_\infty\mu_{N_H}\mu_{\chi_R} [1 - D\mu_{1/N_R}]$	Exposure does not depend on host abundance as in scenario 2. Infection prevalence depends on host abundance as in scenario 3.
	$Pr(N_R) = 1 - \frac{D}{N_R}$	$\sigma_\lambda^2 \approx \left[\eta_\infty \left(1 - \frac{D}{N_R}\right) \chi_R\right]^2 \sigma_{N_H}^2 +$ $\left[\eta_\infty N_H \frac{D}{N_R^2} \chi_R\right]^2 \sigma_{N_R}^2 +$ $\left[\eta_\infty N_H \left(1 - \frac{D}{N_R}\right)\right]^2 \sigma_{\chi_R}^2$	
	$\lambda = \eta_\infty N_H \left(1 - \frac{D}{N_R}\right) \chi_R$		

References

1. Keeling MJ, Rohani P. Modeling Infectious Diseases in Humans and Animals. Princeton University Press; 2008.