## Supporting Information

## Supporting Information S1: Distribution of C. albicans cells in immune cells as expected from simple Poisson statistics.

The equilibrium distribution of C. albicans cells in immune cells can be modelled as a series of Bernoulli experiments, where the total amount of $C$. albicans cells $(C)$ comprises $C$. albicans cells in PMN $\left(C_{G}\right)$, in monocytes $\left(C_{M}\right)$ and cells in extracellular space that are resistant against phagocytosis and/or killing $\left(C_{R}\right)$, i.e.

$$
\begin{equation*}
C=C_{G}+C_{M}+C_{R} . \tag{12}
\end{equation*}
$$

The number of resistant $C$. albicans cells is defined as $C_{R}=f_{R} C$, where the fraction of resistant $C$. albicans cells ( $f_{R}$ ) is obtained from the simulation of the state-based model (SBM). Similarly, the number of C. albicans cells in PMN and monocytes depends on the corresponding relative fractions, i.e. $C_{G}=f_{G} C$ and $C_{M}=f_{M} C$ with the condition $f_{G}+f_{M}+f_{R}=1$. It follows that the relative fractions of $C$. albicans in PMN and monocytes are given by

$$
\begin{equation*}
f_{G}=\frac{G}{G+M}\left(1-f_{R}\right) \tag{13}
\end{equation*}
$$

and

$$
\begin{equation*}
f_{M}=\frac{M}{G+M}\left(1-f_{R}\right), \tag{14}
\end{equation*}
$$

where $G$ and $M$ denote the number of PMN and monocytes, respectively.
The series of Bernoulli experiments are described by the Binomial distribution with probability $p_{I C}=$ $1 / I C$ to choose an immune cell of type $I C$, where $I C=G$ and $I C=M$ denotes the number of PMN and monocytes, respectively. The probability of an immune cell of type $I C$ to contain $k$. albicans cells is then given by

$$
\begin{equation*}
p_{k}^{I C}=\binom{C_{I C}}{k} p_{I C}^{k}(1-p)^{C_{I C}-k}, \tag{15}
\end{equation*}
$$

where $C_{I C}$ denotes the number of $C$. albicans in PMN $(I C=G)$ and monocytes $(I C=M)$. Due to the fact that for both immune cell types $p_{I C} \ll 1$ and $C_{I C} \gg 1$, the Binomial distribution can be approximated by the Poisson distribution [1]. Thus, the probability for the number of $k$ C. albicans cells
within a single immune cell of type $I C$ is given by

$$
\begin{equation*}
p_{k}^{I C}=\frac{\lambda^{k}}{k!} e^{-\lambda} \tag{16}
\end{equation*}
$$

Here, $\lambda=p_{I C} C_{I C}$ represents the mean value of the distribution. The resulting distribution of C. albicans cells in PMN and monocytes were compared with the distributions obtained from the SBM simulation by calculating their relative differences (Figure S5).

1. Grinstead CM, Snell JL (1997) Introduction to probability. Providence, RI: American Mathematical Society, 2nd edition.
