Maximizing the sensitive density will be advantageous whenever the resistant density exceeds the balance threshold. During the management period the resistant density is less than the acceptable burden  $P_{max}$ . This means that maximising the sensitive density will be advantageous only when,

$$P_{max} > R(t) > R_{balance} = \frac{\epsilon (1 - \delta P_{max})}{(1 - c_I)(1 + c_C)\delta}.$$

In paticular, this requires that the acceptable burden is greater than the balance threshold

$$P_{max} > R_{balance} = \frac{\epsilon (1 - \delta P_{max})}{(1 - c_I)(1 + c_C)\delta}$$
(S.1)

Rearranging Equation (S.1) we have that

$$P_{max} > \frac{\epsilon}{\delta \left(\epsilon + (1 - c_I)(1 + c_C)\right)}.$$